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Models of insurance demand

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- BLP models of insurance demand: Bundorf, Levin, and Mahoney (2012), Starc (2014)
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References

Section 1

Starc (2014)

Starc (2014)

Finav et al

- Health insurance industry concentrated
- Mergers often blocked by antitrust
 - Aetna & Humana
 - Anthem & Cigna
- What are the sources and consequences of insurer market power?
- Medigap insurance
- Estimate model of demand and firm pricing
- Results
 - Low demand elasticity, strong brand preferences
 - Average cost pricing would decrease premiums by 17%

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teferences

Medigap 1

- Medicare has high deductibles & copays
 - Part A (hospitalizatoin) deductible pprox\$1000
 - Part B (outpatient) copays 20%, no maximum
- Medigap provides extra coverage
- Set of plans regulated (price [and branding] is only characteristic chosen by firms)
- Open-enrollment period (within 6 months of enrolling in Medicare) price only based on age, gender, state, & smoking
- Minimum Loss Ratio: at least 65% of premiums must be used to cover claims
- Taxes vary within consumer state based on insurer state
- Data:
 - NAIC: insurer premiums, quantities, claims
 - MCBS: individual demographics, whether have any Medigap (but not which insurer & plan), claims

TABLE 1 Medicare Supplement Plans

	A	В	C	D	E	F	G	Н	I	J	K	L
Part A coinsurance	X	X	X	X	X	X	X	Х	X	X	X	X
Part B coinsurance	X	X	X	X	X	X	X	X	X	X	0.5	0.75
Blood	X	X	X	X	X	X	X	X	X	X	0.5	0.75
Hospice											0.5	0.75
Skilled nursing			X	X	X	X	X	X	X	X	0.5	0.75
Part A deductible		X	X	X	X	X	X	X	X	X	0.5	0.75
Part B deductible			X			X				X		
Part B excess charges						X	0.8		X	X		
Foreign travel emergency			X	X	X	X	X	X	X	X		
At-home recovery							X		X	X		
Preventative care coinsurance	X	X	X	X								
Preventative care						X				X		
Market share	4%	3%	12%	4%	2%	49%	8%	1%	1%	15%	1%	1%

Source: NAIC data. Percentages do not add to one because of rounding. The "X" denotes plan coverage. The numbers in the final two columns represent the fraction of cost covered.

TABLE 2 Subsample Demographics

	Subsample	
Income	\$36,803.60	
	(\$57,278.53)	
Self-reported health	2.59	
•	(1.11)	
% Medigap	23.62%	
	(42.48%)	
Private insurance premium paid	\$1,702.13	
given purchase	(\$1,440.84)	

Source: MCBS individual-level data. Standard deviations in parentheses. Self-reported health is ranked on a 1–5 scale where 1 is excellent and 5 is poor. Sample is restricted to consumers under 72 years of age. Medigap coverage is defined as having self-purchased private insurance. Consumers who are eligible for VA benefits (TRICARE) or Medicaid are not included in the subsample.

TABLE 3 Firms and Market Structure

	National Market Share	Share of Active Markets	Average Premium
UnitedHealth	0.46	0.98	1534.82
Mutual of Omaha	0.24	0.95	1398.38
Conseco	0.09	0.90	1615.26
American Financial	0.04	0.78	1630.09
HCHSC	0.03	0.05	1815.55
Genworth Financial	0.02	0.88	1517.81
State Farm	0.02	0.59	2159.99
American Republic Mutual	0.02	0.53	1323.05
Universal American Financial	0.01	0.79	1771.63
Guarantee Trust	0.01	0.50	1756.02
Physicians Mutual	0.01	0.68	1596.92
USAA	0.01	0.90	1677.31
American National Financial	0.01	0.67	1247.75
Atlantic American	0.01	0.63	1531.27
Thrivent Financial for Lutherans	0.01	0.38	1629.46
State Mutual Company	0.01	0.16	703.04
Humana	0.01	0.67	1247.23
Liberty National	0.01	0.88	1736.36

Source: NAIC plan-level data. The first column is the percentage of all Medigap plans sold by the firm. The second column gives the percentage of markets in which the firm offers any policy, and the third column is the average list premium.

TABLE 4 Premiums and Claims by Plan

Number of Policies

1403

% Load

0.2006

Plan

Λ

A	0.2006	1403	1457.25	1223.8	356.33
	(0.8152)		(743.26)	(1161.64)	(1789.9)
В	0.2192	1079	1562.31	1218.03	350.83
	(0.9803)		(493.55)	(554.31)	1159.28
C	0.2387	1764	1729.26	1398.4	908.62
	(0.5814)		(389.37)	(460.22)	(4973.19)
D	0.3182	1822	1546.58	1150.81	325.11
	(0.5145)		(459.44)	(451.93)	(1057.07)
E	0.3055	668	1691.22	1235.19	424.98
	(0.3863)		(511.84)	(459.03)	(1343.59)
F	0.3213	3518	1518.81	1170.77	1908.30
	(0.4834)		(663.37)	(524.24)	(7807.93)
G	0.3228	1936	1500.26	1094.19	591.17
	(0.4301)		(446.44)	(380.99)	(2034.61)
H	0.2414	266	1379.37	1033.05	394.96
	(0.4582)		(1379.37)	(493.11)	(1326.39)
I	0.3778	327	1675.13	1252.45	573.50
	(0.3777)		(352.85)	(310.48)	(1363.90)
J	0.3539	716	1503.1	1130.17	2977.45
	(0.4335)		(380.23)	(341)	(9524.50)
K	0.4543	308	712.59	477.71	176.87
	(0.4739)		(196.4)	(183.35)	(429.76)
L	0.36	339	1183.35	784.1	251.01
	(0.5218)		(263.68)	(784.3)	(1502.79)

Weighted

Premium (\$)

1457.25

Weighted

Claim (\$)

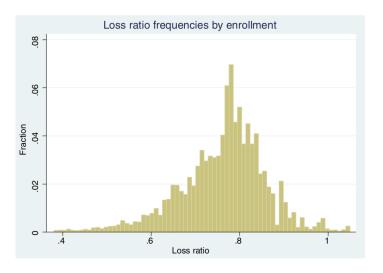
1223 8

Enrollment

356 33

source: NATC market-lever data. Standard deviations in parentieses. Self-reported nearth is rained on a 1–3 scale where 1 is excellent and 5 is poor. Column 2 describes the unweighted average load, and column 3 describes the number of policies. Columns 4 and 5 represent total enrollment-weighted averages of premiums and claims, respectively, with the weights reported in the final column.

FIGURE 1 LOSS RATIOS



References

Model 1

• Firm pricing:

$$\max_{p_{jfm}} \sum_{j} \left[\left(p_{jfm} - \underbrace{\nu_{jfm}(\mathbf{p}_{m})}_{\text{claims}} - \underbrace{a_{jfm}(\mathbf{p}_{m})}_{\text{commissions}} \right) s_{jfm}(\mathbf{p}_{m}) M_{m} \right]$$

$$s.t.\gamma_{jgm}(\mathbf{p}_m) \ge 0.65p_{jfm}$$

- Demand
 - Consumer valuations:

$$v_{ijm} = x_j \beta_1 + b_f \beta_2 + x_m \beta_3 + \xi_{jfm} + \alpha p_{jfm} + \mu_{ijfm} + \epsilon_{ijfm}$$

- μ_{ijfm} = interactions between x_i and (z_i, ω_i)
- Claims:

$$\gamma_{ijfm} = \theta_0 + x_j \theta_1 + \underbrace{\omega_i \theta_2}_{\text{income}} + \underbrace{z_i \theta_3}_{\text{SRH}} + \varepsilon_{jm} + \eta_i$$

References

Estimation 1

- Demand estimation moments:
 - BLP market level data: $E[\xi_{ifm}|instruments] = 0$
 - Retaliatory taxes
 - Average $p_{jf(-m)t}$
 - Expected claims given plan:

$$E[\gamma_{ifm}|J=j] = \theta_0 + x_j\theta_1 + E[\omega_i|J=j]\theta_2 E[z_i|J=j]\theta_3 + \varepsilon_{jm}$$

- Individual P(any Medigap), premium
- Pricing FOC used to estimate marginal costs (commissions)
 - Equality if MLR slack, inequality if binding or violated

TABLE 5 Demand Parameters

	(1)	(2)	(3)	(4)
Premium (in hundreds of \$)	-0.0767	-0.1053	-0.1049	-0.0771
	(0.0070)	(0.0070)	(0.0070)	(0.0076)
В	0.1007	0.1046	0.1043	0.0995
	(0.0819)	(0.0818)	(0.0818)	(0.0848)
C	0.5484	0.5521	0.5520	0.5434
	(0.0864)	(0.0860)	(0.086)	(0.0900)
D	0.5235	0.5350	0.5347	0.5247
	(0.0826)	(0.0826)	(0.0827)	(0.0845)
E	0.4254	0.4395	0.4390	0.4315
	(0.1105)	(0.1107)	(0.1108)	(0.1129)
F	1.5931	1.6028	1.6024	1.5987
	(0.0765)	(0.0764)	(0.0764)	(0.0782)
G	0.8371	0.8478	0.8474	0.8471
	(0.0856)	(0.0856)	(0.0856)	(0.0873)
H	-0.4497	-0.4403	-0.4406	-0.4455
	(0.1229)	(0.1232)	(0.1232)	(0.1309)
I	0.1165	0.1236	0.1233	0.1219
	(0.1071)	(0.1072)	(0.1072)	(0.1119)
J	1.8904	1.8999	1.8996	1.9010
	(0.0960)	(0.0961)	(0.0961)	(0.0985)
K	-1.4513	-1.4460	-1.4463	-1.4439
	(0.1094)	(0.1096)	(0.1096)	(0.1161)
L	-1.0290	-1.0224	-1.0228	-1.0206
	(0.1054)	(0.1057)	(0.1057)	(0.1114)

Notes and Sources: MCBS data, NAIC data, and author calculations described in the text in detail. Brand dummies are included in the demand moments. Standard errors, adjusted for simulation error, are in parentheses.

	(0.0005)	(8000.0)	(0.0284)	(0.0011)
SRH	-0.0795	0.6696	0.6581	0.1643
	(0.0338)	(0.0324)	(1.2776)	(0.0122)
B	0.3728	0.3234	0.3249	0.3170
	(0.0410)	(0.0410)	(0.0410)	(0.0480)
C	0.5091	0.4750	0.4765	0.4857
	(0.0365)	(0.0354)	(0.0365)	(0.0357)
D	0.2708	0.2426	0.2436	0.2793
	(0.0366)	(0.0357)	(0.0366)	(0.0361)
E	0.2667	0.2574	0.2581	0.2670
	(0.0464)	(0.0457)	(0.0464)	(0.0451)
F	0.2031	0.1980	0.1985	0.2367
	(0.0348)	(0.0338)	(0.0348)	(0.0340)
G	0.2372	0.2226	0.2233	0.2422
	(0.036)	(0.0351)	(0.036)	(0.0353)
H	0.2486	0.2559	0.2561	0.2045
	(0.064)	(0.0632)	(0.064)	(0.0612)
I	0.1512	0.1550	0.1554	0.0955
	(0.0646)	(0.0640)	(0.0646)	(0.0637)
J	-0.0760	-0.0443	-0.0446	-0.0521
	(0.0548)	(0.0535)	(0.0548)	(0.0523)
K	-0.9429	-0.8876	-0.8891	-0.9487
	(0.0723)	(0.0715)	(0.0723)	(0.0673)
L	-0.3868	-0.35419	-0.35493	-0.39877
	(0.0695)	(0.0638)	(0.0603)	(0.0625)
Panel B. Consumer demand heterogeneity				
income*premium	0.0002	0.0002	0.0002	0.0001
	(0.0000)	(0.0000)	(0.0000)	(0.1669)
Self-reported health*premium		0.0106	0.0104	
		(0.0004)	(0.0055)	
Self-reported health*1(Medigap)			0.0023	
			(0.1398)	
Self-reported health*1(United or Mutual of Omaha)				2.2397
				(0.1669)
Panel C. Impact of estimates				
mean elasticity	-1.1301	-1.1227	-1.1230	-1.1338

(1)

0.0075

(2)

0.0012

(3)

0.0013

(4)

0.0082

TABLE 6

income

Panel A. Parameters of claim equation

on a 1-5 scale where 1 is excellent and 5 is poor.

Additional Demand and Claim Parameters

Name derivative of claims w/r/t price 0.0091 0.0716 0.0697 0.0940 Value of AARP brand effect (in hundreds of \$) 1.1863 1.1122 1.1131 2.0279

Source: NAIC market-level data, MCBs individual-level data, and author calculations described in the text in detail. Brand dummies are included in the demand side moments. Standard errors in parentheses. Self-reported health is ranked

TABLE 7 Marginal Costs

	Estimate	S.E.
Market Average, Unconstrained Model	0.1942	0.0049
Market Average	0.1587	0.0011
UnitedHealth	0.0747	0.0000
Mutual of Omaha	0.1809	0.0252
Conseco	0.0814	0.0029
American Financial	0.1061	0.0010
HCHSC	0.0700	0.0002
Genworth Financial	0.1495	0.0003
State Farm	0.1630	0.0019
American Republic Mutual	0.1486	0.0001
Universal American Financial	0.1437	0.0004
Guarantee Trust	0.1506	0.0002
Physicians Mutual	0.1558	0.0002
USAA	0.1643	0.0002
American National Financial	0.1602	0.0001
Atlantic American	0.1624	0.0001
Thrivent Financial for Lutherans	0.1511	0.0002
State Mutual Company	0.2405	0.0000
Humana	0.1653	0.0001
Liberty National	0.1533	0.0006

Source: NAIC market-level data, MCBS individual-level data, and author calculations described in the text in detail. Standard errors are obtained using a bootstrap procedure that accounts for error in the demand estimates.

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References

Consequences of market power

TABLE 8 Average Cost and Claim Pricing

	Average Claim	Average Cost
Median premium (in hundreds of \$)	8.8604	10.355
Median % change in premium	-0.24241	-0.17447
Median % change in enrollment	0.31231	0.21809
Median compensating variation	4.7237	3.5532
Median CV net of profit loss	2.0227	1.8458

Notes: The median premium paid is calculated as the median average premium paid across all state-year markets. The median percentage change in premium paid is calculated similarly. When noted, the change in total surplus includes both compensating variation and insurer profits. Compensating variation is calculated as the average across consumers within a market using the standard log-sum formula; the number reported is the median acrossmarkets.

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TABLE 9 Policy Counterfactuals

	65% MLR	80% MLR	Mutual of Omaha Branding	United Branding
Median premium (in hundreds of \$)	12.1970	11.4540	10.3520	10.2600
Median % change in premium	-0.0573	-0.1148	-0.1999	-0.2070
Median % change in consumer surplus	0.0320	0.0668	-0.1823	0.0884

Notes: The median premium paid is calculated as the median average premium paid across all state-year markets. The median percentage change in premium paid is calculated similarly.

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Source of market power

TABLE A7 Fixed and Sunk Cost Estimates

	Lower Bound	Upper Bound
Sunk cost,	\$99, 261, 645.01	\$487, 935, 210.41
UnitedHealth	(\$1, 530, 902, 861, 706.31)	(\$23, 031, 614, 127.02)
Fixed cost,	\$445, 010.32	\$796, 342.56
Mutual of Omaha	(\$225, 593.04)	(\$3, 578, 033.82)

TABLE A8 Marketing Expenditure and Advertising Value

United Health	Mutual of Oma
\$23.65	\$8.37
\$73.09	\$14.81
\$98.27	\$238.67
\$121.92	\$247.05
\$171.36	\$253.48
	\$23.65 \$73.09 \$98.27 \$121.92

Notes: Compensating variation is calculated as the average across consumers within a market using the standard log-sum formula; the number reported is the median across markets.

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Saltzman (2019) "Demand for health insurance: Evidence from the California and Washington ACA exchanges"

- Estimate insurance demand
- Simulate impact of subsidies, mandate penalty, and mandate existence

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Reference

ACA Exchanges

- Regulated state insurance exchanges
- Plan tiers based on expected percentage of health care costs covered
 - Bronze 60%, Silver 70%, Gold 80%, Platinum 90%
 - In California, plans standardized, elsewhere insurers can choose deductible, copay, etc
- Restrictions on price discrimination
 - Age: 64 year-old at most 3× 21 year old
 - Smoking: 50% more than non (prohibited in California)
 - Same price within geographic areas defined by states
- Mandatory to have some health insurance
 - Penalty: increased from max{\$95,1%income} to max{\$625, 2.5%income} from 2014-2018, then \$0 after
 - Some exemptions
- Premium subsidies if income less than 400% of federal poverty level (price after subsidy is a max percentage of income ranging from 2%-9.5%)

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Table 11 California exchange standard plan benefit designs (2014

	Bronze	Silver	Gold	Platinum	Silver 73	Silver 87	Silver 94
Actuarial value	60%	70%	80%	90%	73%	87%	94%
Deductible	\$5,000	\$2,000	\$0	\$0	\$1,500	\$500	\$0
Coinsurance	30%	20%	20%	10%	20%	15%	10%
PCP copay	\$60	\$45	\$30	\$20	\$40	\$15	\$3
Specialist copay	\$70	\$65	\$50	\$40	\$50	\$20	\$5
Out-of-pocket limit	\$6,350	\$6,350	\$6,350	\$4,000	\$5,200	\$2,250	\$2,250

Notes: Table summarizes the standard plan benefit designs in the California exchange for the 2014 plan year. The silver 73, silver 87, and silver 94 plans are the enhanced versions of the basic silver plan and reduce cost sharing for consumers who qualify for cost sharing subsidies.

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household characteristics

 $\varphi + \xi_i + \epsilon_{ii}$

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$$U_{ij} = \overbrace{\alpha_i \quad p_{ij} \quad + \quad x_j}_{\text{premium}} + \underbrace{x_j}_{\text{plan characteristics}}$$

$$\underbrace{U_{i0}}_{\text{uninsured}} = \alpha_i' \quad \rho_i \quad + \epsilon_{i0}$$

$$\underbrace{v_{i0}}_{\text{penalty}} = \frac{1}{2} \underbrace{\rho_i}_{\text{penalty}} + \frac{1}{2} \underbrace{v_i}_{\text{penalty}}$$

• d_i includes $d_{mi} =$ whether i subject to mandate, with coefficient φ_m

 V_{ij}

 β +

• Nested logit for ϵ_i with all plans in one nest, and uninsured in other (ϵ_{ij} are correlated with one another for $i \ge 1$ with correlation $\sqrt{1-\lambda}$)

$$P(i \text{ chooses } j) = \frac{e^{V_{ij}/\lambda} \left(\sum_{j} e^{V_{ij}/\lambda}\right)^{\lambda-1}}{1 + \left(\sum_{j} e^{V_{ij}/\lambda}\right)^{\lambda-1}}$$

References

Data

Table 2

	California		Washingto	n
	Exchange	Uninsured	Exchange	Uninsured
Metals				
Catastrophic	0.7%		0.4%	
Bronze	24.0%		36.6%	
Silver	64.9%		55.1%	
Gold	5.5%		7.7%	
Platinum	4.8%		0.2%	
Network type				
HMO	45.7%		38.5%	
PPO	45.1%		61.4%	
EPO	9.2%		0.0%	
Access to free plan	45.4%	19.3%	33.0%	13.6%
Income				
0% to 138% of FPL	2.9%	2.8%	5.0%	4.3%
138% to 150% of FPL	15.0%	5.4%	8.5%	4.6%
150% to 200% of FPL	33.8%	20.5%	30.3%	18.0%
200% to 250% of FPL	17.4%	16.2%	18.7%	17.3%
250% to 400% of FPL	22.7%	29.6%	25.0%	30.9%
400%+ of FPL	8.2%	25.4%	12.5%	25.0%
Subsidy eligibility				
Premium tax credits	90.7%	74.6%	85.5%	75.0%
Cost sharing reduction	68.5%	44.9%	61.4%	44.2%
subsidies				
Penalty status				
Exempt	3.8%	6.3%	5.3%	9.5%
Subject	96.2%	93.7%	94.7%	90.5%
Age				
0-17	4.8%	3.2%	0.3%	2.9%
18-25	10.4%	20.9%	8.5%	19.1%
26-34	15.7%	25.5%	17.5%	25.2%
35-44	15.6%	17.0%	17.4%	19.9%
45-54	24.4%	17.8%	22.6%	16.6%
55-64	29.0%	15.4%	33.8%	16.3%
Gender				
Female	52.3%	43.1%	54.1%	40.8%
Male	47.7%	56.9%	45.9%	59.2%
Race				
Asian			14.9%	8.8%
Black/African American			2.9%	3.6%
Other Race			5.4%	12.1%
White			76.8%	75.5%
Smoking status				
Non-smoker			91.1%	70.2%
Smoker			8.9%	29.8%
Year				
2014	48.9%	58.9%	48.0%	56.5%
2015	51.1%	41.1%	52.0%	43.5%

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References

Table 3 Insurers, plans, and premiums by state and year.

	California		Washingto	on
	2014	2015	2014	2015
Insurers available				
Minimum	1.0	2.0	2.0	3.0
Median	5.0	5.0	6.0	7.0
Average	4.8	4.7	5.5	6.8
Maximum	6.0	6.0	7.0	8.0
Plans available				
Minimum	5.0	10.0	16.0	21.0
Median	25.0	25.0	28.0	47.0
Average	24.6	24.5	26.2	45.8
Maximum	35.0	35.0	31.0	61.0
Silver plan premiums				
County average	\$309.70	\$320.25	\$306.00	\$303.46
Minimum	\$221.56	\$230.31	\$234.72	\$218.55
Maximum	\$480.59	\$554.26	\$369.11	\$363.24
Minimum second-lowest	\$253.27	\$257.19	\$260.01	\$252.67
Maximum second-lowest	\$422.58	\$423.67	\$312.61	\$297.00

Data

Notes: The first two panels provide summary statistics on the number of insurers and plans available to consumers. The third panel shows variation in silver plan premiums for a 40-year old nonsmoker.

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Table 4Estimated mean own-premium elasticities and semi-elasticities.

	California		Washington	
	Elasticity	Semi- elasticity	Elasticity	Semi- elasticity
Overall	-9.1	-21.8	-7.2	-19.9
Income (% of FPL)				
0-138	-8.8	-21.3	-10.7	-28.6
138-250	-9.7	-23.1	-7.3	-20.3
250-400	-8.2	-20.0	-6.6	-18.5
400+	-7.8	-19.1	-5.3	-15.3
Gender				
Female	-8.8	-21.0	-6.8	-18.9
Male	-9.5	-22.6	-7.6	-20.9
Age				
18-34	-13.1	-27.9	-10.0	-24.9
35-54	-9.3	-19.9	-7.5	-18.7
55+	-5.6	-12.0	-4.9	-12.4
Smoking status				
Smoker			-10.3	-27.6
Non-smoker			-6.6	-18.3
Race				
Asian			-8.2	-22.1
Black			-11.5	-30.3
White			-6.8	-18.7

Notes: Table shows mean own-premium elasticities and semi-elasticities by demographic group. A plan's own-premium elasticity indicates the percentage change in enrollment for a 1% increase in its premium and is computed using Eq. (9). A plan's

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Table 5Estimated mean elasticities and semi-elasticities for exchange coverage.

	California		Washington	
	Elasticity	Semi- elasticity	Elasticity	Semi- elasticity
Overall	-1.2	-3.3	-1.1	-3.7
Income (% of FPL)				
0-138	-1.2	-3.3	-1.6	-5.4
138-250	-1.3	-3.5	-1.2	-4.0
250-400	-1.1	-3.1	-1.1	-3.7
400+	-1.0	-2.9	-0.9	-3.1
Gender				
Female	-1.1	-3.2	-1.0	-3.5
Male	-1.2	-3.4	-1.1	-3.9
Age				
18-34	-1.6	-4.1	-1.4	-4.4
35-54	-1.1	-2.9	-1.0	-3.3
55+	-0.7	-1.7	-0.7	-2.2
Smoking status				
Smoker			-1.5	-4.6
Non-smoker			-1.0	-3.1
Race				
Asian			-1.2	-3.9
Black			-1.7	-5.2
White			-1.1	-3.3

Notes: Table shows mean elasticities and semi-elasticities for exchange coverage by demographic group. The mean elasticity for exchange coverage indicates the percentage change in exchange enrollment if all exchange premiums increase by 1% and is computed using Eq. (11). The mean semi-elasticity for exchange coverage

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Table 6Estimated parameters of non-premium plan characteristics.

	California	Washington
Actuarial value (AV)	4.125***	3.591***
	(0.240)	(0.159)
HMO	-0.275***	1.009***
	(0.016)	(0.085)
Deductible ratio		-0.096***
		(0.008)
Max. OOP ratio		0.010
		(0.009)

Notes: ***Significant at the 1% level. **Significant at the 5% level. *Significant at the 10% level. Table shows parameter estimates for the non-premium plan characteristics, including the actuarial value, whether the plan is an HMO, the ratio of the plan's deductible to the maximum deductible in the plan's metal tier, and the ratio of the plan's out-of-pocket limit to the maximum out-of-pocket limit in the plan's metal tier. Parameters for the latter two variables cannot be estimated for California because of plan standardization. Robust standard errors that correct for potential misspecification are shown in parentheses (see p. 503 of Wooldridge (2010)).

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Table 10 Impact of repealing the individual mandate.

	Percent cha exchange e	0	Percent change in consumer surplus		
	ACA subsidies	Vouchers	ACA subsidies	Vouchers	
California					
5% premium increase	-18.6%	-20.5%	1.6%	-2.8%	
10% premium increase	-18.9%	-22.8%	1.5%	-7.4 %	
25% premium increase	-19.7%	-29.3%	1.2%	-20.1%	
Washington					
5% premium increase	-13.4%	-17.2%	6.8%	-3.5%	
10% premium increase	-14.3%	-21.9%	6.0%	-14.0%	
25% premium increase	-16.1%	-35.7%	5.0%	-40.3%	

Notes: Table shows the impact on enrollment and average annual consumer surplus of repealing the individual mandate under a voucher subsidy and under ACA subsidies. Three alternative supply response scenarios are considered: a 5% premium increase, a 10% premium increase, and a 25% premium increase.

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References

Section 3

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References

Tebaldi, Torgovitsky, and Yang (2023) "Nonparametric estimates of demand in the California health insurance exchanges"

- How much do logit / mixed logit assumptions influence demand estimates?
- Setting: California ACA exchange
- Nonparametric partially identified demand estimates

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References

Covered California

- 19 rating regions (premiums vary across regions and are constant within)
- 4 tiers of insurance coverage
- Region, tier, & age specific premium = insurer chosen region, tier premium × federal age adjustment
- Premium subsidies and cost-sharing reductions for low income individuals
- Mandated participation with tax penalty (penalty repealed in 2017)

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Covered California

Panel (a): Characteristics by metal tier before cost-sharing reductions

Tier	Annual deductible	Annual max out-of-pocket	Primary visit	E.R. visit	Specialist visit	Preferred drugs	$\begin{array}{c} \text{Advertised} \\ \text{AV}^{(*)} \end{array}$
Bronze	\$5,000	\$6,250	\$60	\$300	\$70	\$50	60%
Silver	\$2,250	\$6,250	\$45	\$250	\$65	\$50	70%
Gold	\$0	\$6,250	\$30	\$250	\$50	\$50	79%
Platinum	\$0	\$4,000	\$20	\$150	\$40	\$15	90%

Panel (b): Silver plan characteristics after cost-sharing reductions

Income (%FPL)	Annual deductible	Annual max out-of-pocket	Primary visit	E.R. visit	Specialist visit	Preferred drugs	$\begin{array}{c} {\rm Advertised} \\ {\rm AV}^{(*)} \end{array}$
200-250% FPL	\$1,850	\$5,200	\$40	\$250	\$50	\$35	74%
150-200% FPL	\$550	\$2,250	\$15	\$75	\$20	\$15	88%
$100\text{-}150\% \ \mathrm{FPL}$	\$0	\$2,250	\$3	\$25	\$5	\$5	95%

Source: http://www.coveredca.com/PDFs/2015-Health-Benefits-Table.pdf.

(*): Actuarial value (AV) is advertised to consumers as a percentage of medical expenses covered by the plan.

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Premium Variation

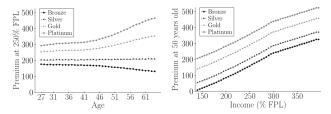


FIGURE 2.—Post-subsidy premium variation by age and income. *Notes*: Post-subsidy premiums shown are the median across insurers for rating region 16 (part of Los Angeles).

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Model

- Individual i, plans $j \in \{0, 1, ..., J\}$
- Valuations V_{ij} with premiums P_{ij} , with utility additively separable in premium

$$\max_{j} V_{ij} - P_{ij}$$

• Want to recover $f(V_{ij}|P_{ij}, M_i, X_i)$

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Price Variation

- Premiums depend on market, M_i, and individual characteristics, X_i (age & income)
- Price variation within market will be used in estimation
- Price variation within market not present in typical demand estimation
- Appendix discusses modifications to use when there is not within market price variation

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Target Parameters

- Density of valuation given observables f(v|p, m, x)
- Target parameters are functionals of this density, $\theta: \mathcal{F} \rightarrow \mathbb{R}^{d_{\theta}}$, e.g.
 - Fraction that choose plan j if premiums were p^*

$$P(j|p^*,m,x) = \int \mathbf{1}\{v_j - p_j^* \ge v_k - p_k^* \,\forall k\} f(v|m,x) dv$$

• Change in consumer surplus from changing p to p^st

$$\Delta CS(p^*|m,x) = \int \max_{j} (v_j - p_j^*) f(v|m,x) dv - \int \max_{j} (v_j - p_j) f(v|m,x) dv$$

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Assumptions

- W_i, Z_i subvectors of M_i, X_i
 - In application W_i is M_i and course age and income bins, Z_i is variation in age and income within bins
- Z_i is instrument
 - Exogenous:

$$f_{V|W,Z}(v|w,z) = f_{V|W,Z}(v|w,z')$$
 (1)

- No relevance or rank assumption required, but size of identified will depend on instrument variation and relevance
- Support restrictions

$$\int_{\mathcal{V}^*(w)} f_{V|W,Z}(v|w,z)dz = 1 \tag{2}$$

e.g. at same prices, consumers prefer higher tier plan $\mathcal{V}^{\bullet}(w) = \{v : v_4 \geq v_1\}$

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Identified Set

- Define $V_j(p) = \{v : v_j p_j \ge v_k p_k \, \forall k\}$
- Observed shares = model shares:

$$s_j(p,m,x;f) = \int_{\mathcal{V}_j(p)} f(v|p,m,x) dv$$
 (3)

- Identified set $\mathcal{F}^* \equiv \{f \in \mathcal{F} : 1, 2, 3\}$
- Identified set for target parameter $\Theta^* \equiv \{\theta(f) : f \in \mathcal{F}^*\}$
- Goal : characterize and then estimate Θ^*

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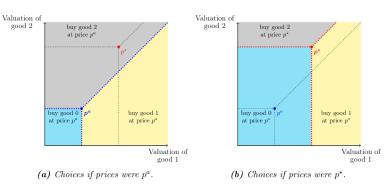
Model

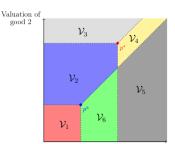
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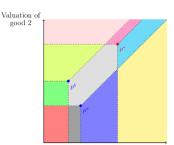
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References

Figure 1: Partitioning the Space of Valuations







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Identified Set

- Observe p^a, counterfactual p*, want θ(f) = share of good 2 at p*
- Partition support of v into minimal relevant partition (c)
- We observe

$$s_0(m, p^a) = \int_{\mathcal{V}_1} f(v|m, p^a) dv$$

$$s_1(m, p^a) = \int_{\mathcal{V}_2 \cup \mathcal{V}_6} f(v|m, p^a) dv$$

$$s_2(m, p^a) = \int_{\mathcal{V}_2 \cup \mathcal{V}_2 \cup \mathcal{V}_4} f(v|m, p^a) dv$$

- Assume p exogenous, so $f(v|m, p^a) = f(v|m, p^*) = f(v|m)$
- (i.e. Z = p)
 Let $\phi_{\ell} = \int_{\mathcal{V}_{\ell}} f(v|m) dv$, note that $s_2(m, p^*) = \phi_3$ is the parameter of interest
- Upper bound: $\max_{\phi} \phi_3$ s.t. observed shares

$$t^*_{ub}=\max_{\phi}\phi_3$$
 s.t. $\phi_1=$ s $_0(m,p^a)$ $\phi_2+\phi_3+\phi_4=$ s $_2(m,p^a)$ $\phi_5+\phi_6=$ s $_1(m,p^a)$ $\phi_\ell>orall \ell$

• $t_{lb}^* = \min \phi_3$ gives lower bound, paper shows $[t_{lb}^*, t_{ub}^*]$ is the identified set

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Estimation 1

Notation:

- V is minimal relevant partition
- $\mathbb{V}_{j}(p)$ is subset of \mathbb{V} that rationalizes choice j given prices p
- $\phi(\mathcal{V}|m,x) = \int_{\mathcal{V}} f(v|m,x) dv$
- $\phi(\mathcal{V}|\mathbf{w},\mathbf{z}) = \int_{\mathcal{V}} f(\mathbf{v}|\mathbf{w},\mathbf{z}) d\mathbf{v}$

References

Estimation 1

 Just replace unknown population shares with observed market shares:

$$\min_{\phi \geq 0} \bar{\theta}(\phi)$$
s.t.

$$\hat{\mathsf{s}}_j(m,x) = \sum_{\mathcal{V} \in \mathbb{V}_j(p(m,x))} \phi(\mathcal{V}|m,x) \,\forall j$$

$$\phi_{\mathbb{V}|WZ}(\mathcal{V}|W,z) = \phi_{\mathbb{V}|WZ}(\mathcal{V}|W,z') \,\forall z,z',w,\mathcal{V}$$

$$\sum_{\mathcal{V} \in \mathbb{V}^{ullet}(w)} \phi_{\mathbb{V}|wZ}(\mathcal{V}|w,z) = 1 \, \forall w,z$$

but might have no solution2

• Define:

$$\hat{Q}(\phi) = \sum_{j,m,x} \hat{\mathbb{P}}(m,x) \left| \hat{\mathsf{s}}_j(m,x) - \sum_{\mathcal{V} \in \mathbb{V}_j(p(m,x))} \phi(\mathcal{V}|m,x) \right|$$

and
$$\hat{Q}^* = \min_{\phi} \hat{Q}(\phi)$$

Reference

Estimation 2

Relax problem to

$$\begin{split} \hat{\mathbf{t}}_{lb}^* &= \min_{\phi \geq 0} \bar{\theta}(\phi) \text{s.t.} & \hat{\mathbf{Q}}(\phi) \leq \hat{\mathbf{Q}}^* + \eta \\ & \phi_{\mathbb{V}|\mathsf{WZ}}(\mathcal{V}|\mathsf{W},\mathsf{z}) = \phi_{\mathbb{V}|\mathsf{WZ}}(\mathcal{V}|\mathsf{W},\mathsf{z}') \, \forall \mathsf{z},\mathsf{z}',\mathsf{w},\mathcal{V} \\ & \sum_{} \phi_{\mathbb{V}|\mathsf{WZ}}(\mathcal{V}|\mathsf{W},\mathsf{z}) = 1 \, \forall \mathsf{w},\mathsf{z} \end{split}$$

• Inference based on Deb et al. (2021)

²I think this is the reason, but the paper says "The purpose of this tuning parameter is to smooth out potential discontinuities caused by set convergence."

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Identifying Assumptions

- California ACA pricing
 - 19 rating regions (premiums vary across regions and are constant within)
 - 4 tiers of insurance coverage
 - Region, tier, & age specific premium = insurer chosen region, tier premium × federal age adjustment
 - Premium subsidies and cost-sharing reductions for low income individuals
- So price variation within a region due to age and income should be exogenous to demand shocks
- Assume that preferences for insurance do not depend on age or income within "coarse bins" (defined by 5 years and 50 percentage points of FPL)
- Support restriction: at equal prices, consumers prefer plan with more coverage

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SUMMARY STATISTICS.

Panel (a): Distribution of bin characteristics Mean St. Dev. P-10 Median P-90 Number of buyers 85.32 91.07 55 14 195 29 43,415 10.694 43 59 Age Income (FPL%) 243 991 72.037 155 230 355 Takeup rate 0.280 0.209 0.053 0.234 0.576 174 495 89 324 68 162 298 Average premium paid Share choosing Bronze 0.065 0.073 0 0 Share choosing Silver 0.188 0.173 Share choosing Gold 0.015 0.021 0 0 Share choosing Platinum 0.012 0.018 O 0 0

Panel	(b)): Premiums and c	hoice shares b	by age and income
-------	-----	-------------------	----------------	-------------------

	Bronze		Silver		Gol	d	Platinum	
	Premium	Share	Premium	Share	Premium	Share	Premium	Share
By age:								
27-34	120	0.050	174	0.122	229	0.010	272	0.010
35-49	117	0.058	181	0.175	248	0.013	299	0.011
50-64	104	0.086	207	0.259	321	0.022	409	0.016
By income	(FPL%):							
140-150	· 5	0.011	57	0.336	133	0.005	191	0.006
150-200	28	0.046	94	0.318	170	0.008	229	0.009
200-250	86	0.084	162	0.193	241	0.018	302	0.015
250-400	196	0.074	276	0.084	357	0.019	419	0.014

Note: Panel (a) reports statistic taken across the 30,007 bins in our main estimation sample. All statistics are weighted by number of potential buyers. For income, standard deviation means the standard deviation of the within-bin medians of income and average premium paid. In panel (b), premium is the average premium paid for buyers of a given age/income group.

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TABLE III
NONPARAMETRIC BOUNDS ON CHANGES IN CHOICE SHARES.

				CI	nange in proba	bility of choos	ing					
\$10/month premium	Any plan		Bro	Bronze		Silver		old	Platinum			
increase for	LB	UB	LB	UB	LB	UB	LB	UB	LB	UB		
		Panel (a): Full sample (140–400% FPL)										
All plans	-0.067	-0.018	-0.012	-0.004	-0.051	-0.011	-0.004	-0.001	-0.003	-0.001		
Bronze	-0.011	-0.002	-0.047	-0.009	+0.004	+0.044	+0.000	+0.028	+0.000	+0.023		
Silver	-0.050	-0.003	+0.001	+0.124	-0.165	-0.017	+0.001	+0.121	+0.000	+0.097		
Gold	-0.003	-0.000	+0.000	+0.005	+0.000	+0.010	-0.013	-0.003	+0.000	+0.011		
Platinum	-0.002	-0.000	+0.000	+0.003	+0.000	+0.006	+0.001	+0.009	-0.010	-0.002		
	Panel (b): Lower income (140–250% FPL)											
All plans	-0.091	-0.020	-0.011	-0.003	-0.077	-0.015	-0.003	-0.001	-0.003	-0.001		
Bronze	-0.009	-0.001	-0.046	-0.008	+0.004	+0.044	+0.000	+0.027	+0.000	+0.023		
Silver	-0.076	-0.005	+0.001	+0.178	-0.237	-0.021	+0.001	+0.173	+0.000	+0.141		
Gold	-0.002	-0.000	+0.000	+0.004	+0.000	+0.009	-0.011	-0.002	+0.000	+0.010		
Platinum	-0.002	-0.000	+0.000	+0.004	+0.000	+0.006	+0.001	+0.010	-0.010	-0.002		
		Panel (c): Higher income (250–400% FPL)										
All plans	-0.037	-0.016	-0.015	-0.006	-0.018	-0.007	-0.004	-0.001	-0.003	-0.001		
Bronze	-0.013	-0.003	-0.049	-0.009	+0.003	+0.045	+0.000	+0.029	+0.000	+0.023		
Silver	-0.016	-0.001	+0.001	+0.053	-0.072	-0.012	+0.001	+0.054	+0.000	+0.040		
Gold	-0.003	-0.000	+0.000	+0.006	+0.000	+0.012	-0.016	-0.004	+0.000	+0.013		
Platinum	-0.002	-0.000	+0.000	+0.003	+0.000	+0.005	+0.001	+0.009	-0.010	-0.003		

Note: Each pair of columns contains the estimated lower and upper bound for the change in choice probability of the choice indicated in columns in response to a \$10/month premium increase for the plan(s) indicated in the rows. The column "Any plan" means any choice $j \neq 0$, and the row "All plans" means all choices $j \neq 0$.

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References

 $\label{eq:table_in_table_in_table} \text{TABLE IV}$ Sensitivity to Assumption IV.

	Change in p	robability of purc	hasing coverage if	all per-person pr	emiums increase	by \$10/month	
	$\kappa_{\rm age} = \kappa$	$\kappa_{\rm inc} = 0$	$\kappa_{age} = 0$	$, \kappa_{\rm inc} = \kappa$	$\kappa_{\rm agc} = \kappa_{\rm inc} = \kappa$		
κ	LB	UB	LB	UB	LB	UB	
0	-0.0674	-0.0183	-0.0674	-0.0183	-0.0674	-0.0183	
0.2	-0.0691	-0.0192	-0.1076	-0.0344	-0.1017	-0.0223	
0.3	-0.0699	-0.0196	-0.1227	-0.0395	-0.1083	-0.0258	
0.4	-0.0705	-0.0198	-0.1355	-0.0436	-0.1191	-0.0314	
0.6	-0.0718	-0.0204	-0.1556	-0.0485	-0.1415	-0.0311	
$+\infty$	-0.0865	-0.0158	-0.2602	-0.0293	-0.2798	-0.0000	

Note: Each pair of columns shows estimated lower and upper bounds on the change in choosing any inside choice $(j \neq 0)$. The first pair adjusts $\kappa_{\rm age}$, while keeping $\kappa_{\rm inc} = 0$. The second pair adjusts $\kappa_{\rm inc}$, while keeping $\kappa_{\rm age} = 0$. The third pair adjusts both $\kappa_{\rm inc}$ and $\kappa_{\rm age}$ simultaneously.

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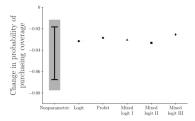
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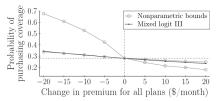
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(a) Change in participation in response to a \$10 decrease in subsidies



(b) Change in participation in response to different sized changes in subsidies

FIGURE 3.—Comparison to parametric models. *Notes:* Top panel: Bound and point estimates are shown in solid black, and 95% confidence intervals are indicated with grey shading. The confidence interval for the logit and probit models are too narrow to be visible. Bottom panel: Nonparametric upper and lower bounds on the overall probability of purchasing coverage (choosing $j \neq 0$) for each price change are shown with light grey circles. Corresponding point estimates from mixed logit III are shown in black triangles.

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TABLE V ELASTICITIES.

					% change i	n probabilit	y of choosing			
		Outside Bounds/Point estimate			High deductible			Low deductible		
1% premium increase for		Bounds/Point estimate			Bounds/Point estimate			Bounds/Point estimate		
High deductible	Nonparametric	+0.025		+0.169	-9.797		-1.707	+0.256		+2.710
	$\kappa_{acc} = 0.4$ $\kappa_{inc} = 0$	+0.023		+0.190	-10.438		-1.787	+0.273		+3.002
	$\kappa_{age} = \infty$ $\kappa_{inc} = 0$	+0.000		+0.282	-11.369		-1.051	+0.074		+3.452
	$\kappa_{\rm age} = 0$ $\kappa_{\rm inc} = 0.4$	+0.073		+0.387	-10.046		-2.632	+0.152		+2.707
	$\kappa_{age} = 0$ $\kappa_{inc} = \infty$	+0.112		+0.898	-10.646		-2.292	+0.077		+2.727
	Logit		+0.154			-1.997			+0.154	
	Probit		+0.152			-1.902			+0.200	
	Mixed Logit I		+0.152			-1.966			+0.203	
	Mixed Logit II		+0.206			-4.411			+0.997	
	Mixed Logit III		+0.176			-4.039			+1.282	
Low deductible	Nonparametric	+0.207		+1.530	+1.364		+54.251	-15.491		-1.956
	$\kappa_{agc} = 0.4$ $\kappa_{inc} = 0$	+0.197		+1.583	+1.922		+59.219	-16.178		-2.183
	$\kappa_{age} = \infty$ $\kappa_{ine} = 0$	+0.052		+1.909	+0.235		+67.867	-18.444		-1.358
	$\kappa_{age} = 0$ $\kappa_{inc} = 0.4$	+0.472		+3.064	+0.955		+52.746	-17.351		-3.638
	$\kappa_{age} = 0$ $\kappa_{inc} = \infty$	+0.449		+5.851	+0.195		+63.914	-20.367		-2.288
	Logit		+0.641			+0.641			-3.549	
	Probit		+0.544			+1.200			-2.455	
	Mixed Logit I		+0.619			+0.799			-3.426	
	Mixed Logit II		+0.281			+2.876			-3.135	
	Mixed Logit III		+0.182			+3.263			-3.187	

Note: High deductible is Bronze and low deductible is a bundle consisting of Silver, Gold, and Platinum. See Appendix S6 for further details on implementation and computation.

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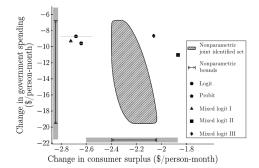


FIGURE 4.—Changes in consumer surplus and government spending from a \$10 decrease in subsidies. *Notes:* Bound and point estimates are shown in solid black. One-dimensional 95% confidence intervals are shown in grey vertical and horizontal bars.

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TABLE VI GGREGATE IMPACTS FROM REDUCING PREMIUM SUBSIDIES BY \$10 PER MONTH

	14	40-400% FPL	140-400% FPL			14	0-250% FPL	250	250-400% FPL	
	Char	Change in consumer				ige in consumer		Change in consumer		
		ing (\$ million/year) nds/Point estimate	surplus (\$ million/year) Bounds/Point estimate				(\$/person-month) ds/Point estimate	surplus (\$/person-month) Bounds/Point estimate		
Nonparametric	-601.73	-207.05	-73.67		-62.49	-3.10	-2.59	-1.50	-1.32	
$\kappa_{acc} = 0.4$ $\kappa_{inc} = 0$	-622.58	-217.51	-74.00		-62.17	-3.11	-2.58	-1.51	-1.31	
$\kappa_{\rm age} = \infty$ $\kappa_{\rm inc} = 0$	-750.84	-188.13	-75.78		-56.74	-3.17	-2.39	-1.57	-1.15	
$\kappa_{\rm age} = 0$ $\kappa_{\rm inc} = 0.4$	-1136.26	-393.73	-72.10		-50.82	-3.02	-2.04	-1.49	-1.17	
$\kappa_{\rm age} = 0$ $\kappa_{\rm inc} = \infty$	-2092.82	-281.28	-74.55		-11.83	-3.08	-0.34	-1.60	-0.44	
Logit		-295.13		-81.08			-3.44		-1.78	
Probit		-268.52		-82.38			-3.39		-1.78	
Mixed Logit I		-286.42		-83.64			-3.51		-1.88	
Mixed Logit II		-339.43		-57.27			-2.32		-1.40	
Mixed Logit III		-266.55		-63.27			-2.60		-1.49	

Note: Each pair of columns corresponds to a different target parameter. Lower and upper bounds are shown for the nonparametric model with different sensitivity to age and income, while single point estimates are shown for the parametric models.

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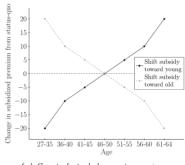
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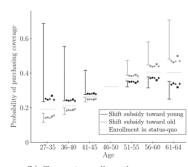
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(a) Counterfactual changes to premiums



(b) Changes in enrollment by age group

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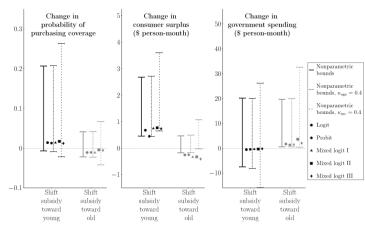
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(c) Effects on aggregate outcomes

FIGURE 5.—Linking subsidies to age. *Notes*: Panel (a) illustrates the change in subsidized premiums by age under the two counterfactuals considered. Each x-axis group in panels (b) and (c) contains estimated nonparametric bounds and parametric point estimates on the indicated counterfactual, as well as the baseline value at the observed premiums.

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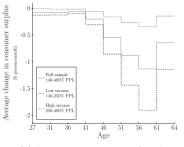
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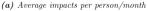
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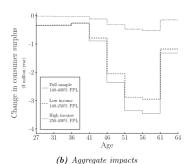
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(b) Aggregate impact

FIGURE 6.—Upper bounds on the change in consumer surplus from removing Silver plans. *Notes*: Each line indicates the estimated nonparametric upper bound on the change in consumer surplus for a different income group. The nonparametric lower bound is infinite.

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TABLE VII
AGGREGATE IMPACTS FROM REMOVING SILVER PLANS.

	Change in co surplus (\$ mill Bounds/Point	Cha surpli	140–250% l nge in cons us (\$ million ds/Point es	umer n/year)	250–400% FPL Change in consumer surplus (\$ million/year) Bounds/Point estimate			
Nonparametric	$-\infty$	-12.43	$-\infty$		-10.78	$-\infty$	-1.66	
$\kappa_{\text{age}} = 0.4$ $\kappa_{\text{inc}} = 0$	$-\infty$	-11.63	$-\infty$		-10.25	$-\infty$	-1.38	
$\kappa_{age} = \infty$ $\kappa_{inc} = 0$	$-\infty$	-0.68	$-\infty$		-0.68	$-\infty$	-0.00	
$\kappa_{\text{age}} = 0$ $\kappa_{\text{inc}} = 0.4$	$-\infty$	-9.77	$-\infty$		-8.36	$-\infty$	-1.41	
$\kappa_{\text{age}} = 0$ $\kappa_{\text{inc}} = \infty$	$-\infty$	-1.71	$-\infty$		-1.39	$-\infty$	-0.32	
Logit	-281.6	7		-248.97		-3	36.24	
Probit	-290.4	0		-260.62		-2	29.79	
Mixed Logit I	-292.0	9		-257.40		-3	38.29	
Mixed Logit II	-148.95		-135.53			-14.48		
Mixed Logit III	-173.7	4		-162.85		-11.65		

Note: See notes for Table VI.

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